# Quantum Mechanics Physics 237

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## Explore properties of wavefunctions.



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## Explore properties of wavefunctions.



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#### The infinite well.



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#### Solutions in the infinite well.



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# 4 Minute 42 Second Intermission.

- Since paying attention for 1 hour and 15 minutes is hard when the topic is physics, let's take a 4 minute 42 second intermission.
- You can:
  - Stretch out.
  - Talk to your neighbors.
  - Ask me a quick question.
  - Enjoy the fantastic music.



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#### Finite well.



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Finding eigen values.  $V_0 = 12, a = 2.$ 



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Finding eigen values.  $V_0 = 12, a = 2.$ 



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### Differences between finite and infinite wells.



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#### Simple harmonic oscillator.



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#### Summary of systems studied in chapter 6.

Table 6-2. A Summary of the Systems Studied in Chapter 6				
Name of System	Physical Example	Potential and Total Energies	Probability Density	Significant Feature
Zero potential	Proton in beam from cyclotron	E V(x)	ψ•Ψx	Results used for other systems
Step potential (energy below top)	Conduction electron near surface of metal		· · · · · · · · · · · · · · · · · · ·	Penetration of excluded region
Step potential (energy above top)	Neutron trying to escape nucleus		<u>ψ+ψ</u> 0 х	Partial reflec- tion at potential discontinuity
Barrier potential (energy below top)	α particle trying to escape Coloumb barrier	$ \underbrace{ \begin{array}{c} \\ \\ \\ \end{array} \\ 0 \end{array} }_{0} \underbrace{ \begin{array}{c} \\ \\ \\ \end{array} }_{V(x)} \underbrace{ \begin{array}{c} \\ \end{array} }_{V(x)} \underbrace{ \end{array} }_{V(x)} \underbrace{ \begin{array}{c} \\ \end{array} }_{V(x)} \underbrace{ \begin{array}{c} \\ \end{array} }_{V(x)} \underbrace{ \end{array} }_{V(x)} \underbrace{ \begin{array}{c} \\ \end{array} }_{V(x)} \underbrace{ \end{array} }_{V(x)} \underbrace{ \begin{array}{c} \\ \end{array} }_{V(x)} \underbrace{ \end{array} }_{V(x)} \underbrace{ \end{array} }_{V(x)} \underbrace{ \begin{array}{c} \\ \end{array} }_{V(x)} \underbrace{ \end{array} }_{V(x)} _{V(x)} $	<u>и</u> 0 а х	Tunneling
Barrier potential (energy above top)	Electron scat- tering from negatively ionized atom	$ \underbrace{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \end{array} }_{0} \underbrace{ \begin{array}{c} \\ \\ \\ \\ \\ \\ \\ \\ \end{array} }_{V(x)} \underbrace{ \\ \\ \\ \\ \\ \\ \end{array} }_{V(x)} \underbrace{ \\ \\ \\ \\ \\ \\ \end{array} }_{V(x)} \underbrace{ \\ \\ \\ \\ \\ \\ \\ \end{array} }_{V(x)} \underbrace{ \\ \\ \\ \\ \\ \\ \\ \\ \end{array} }_{V(x)}  \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ $		No reflection at certain energies
Finite square well potential	Neutron bound in nucleus			Energy quantization
Infinite square well potential	Molecule strictly confined to box	$ \begin{array}{c} V(x) \\ \bullet \\ 0 \\ V(x) \end{array} $	, , , , ,	Approximation to finite square well
Simple harmonic oscillator potential	Atom of vibrating diatomic molecule		<u> </u>	Zero-point energy

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# **ENOUGH FOR TODAY?**

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